

Pest dispersion as a spatial interaction: The case of *Flavescence Dorée*

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Outline

1 – Introduction

2 – Model

3 – Data

4 – Results

5 – Simulation

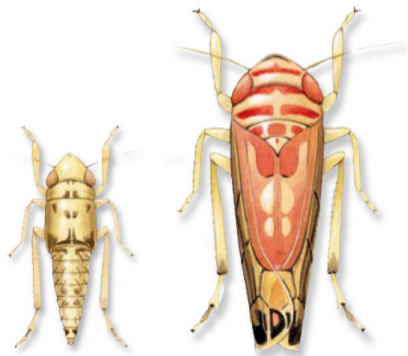
6 – Conclusion

Flavescence Dorée



- ▶ Bacterial disease of vines
- ▶ High quantitative loss
- ▶ No cure actually
- ▶ Mandatory vines removal, treatment against vector

Scaphoideus Titanus



Economic considerations

Two opposite externalities from treatments

- ▶ Reduced risk for neighboring vineyards:

Social benefit > Private benefit

- ▶ Environmental damage on ecosystems:

Social cost > Private cost

⇒ Strong societal debate about compulsory treatment

VOICÀ COMMENT
ON TRAITE CEUX
QUI NE VEULENT
PAS TRAITER!



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Linear probability model

The **probability of infection** for a given vineyard i

$$p_i = b(\mathbf{x}_i; \boldsymbol{\beta}) + \tau t_i + \theta \sum_{j \in N_i} (t_j/n) + \rho \sum_{j \in N_i} (p_j/n) + \varepsilon_i$$

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with:
$$\frac{\partial p_i}{\partial t_i} = \underbrace{\tau}_{\text{direct}} + \underbrace{(\rho/n)\theta}_{\text{first order}} + \underbrace{(\rho/n)^2 \sum_{j \in N_i} \psi_j}_{\text{higher orders}}$$

Micro-economic program

$$\max_{t_i \in [0,1]} \left\{ \mathbb{E}[\pi_i] \equiv (1 - p_i)r_i - c \cdot t_i \right\}$$

Corner solutions allow to define differentiated behaviors

Micro-economic program

$$\max_{t_i \in [0,1]} \left\{ \mathbb{E}[\pi_i] \equiv (1 - p_i)r_i - c \cdot t_i \right\}$$

Corner solutions allow to define differentiated behaviors

Farseeing behavior: treatment if $\frac{c}{r_i} < | \tau + (\rho/n)\theta + (\rho/n)^2 \sum \psi_j |$

Myopic behaviour: treatment if $\frac{c}{r_i} < | \tau + (\rho/n)\theta |$

Naive behaviour: treatment if $\frac{c}{r_i} < | \tau |$

Social planner perspective

Max. expected profits **simultaneously** with an **additional social cost**

$$\max_{\{t_\ell\}_L} \left\{ \mathbb{E}[\Pi] \equiv \sum_\ell [(1 - p_\ell)r_\ell - (c + \omega)t_\ell] \right\}$$

Social planner perspective

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$$\max_{\{t_\ell\}_L} \left\{ \mathbb{E}[\Pi] \equiv \sum_\ell [(1 - p_\ell)r_\ell - (c + \omega)t_\ell] \right\}$$

It is **socially optimal** that treated vineyards are such that:

$$\underbrace{\frac{\omega}{r_i}}_{+} + \underbrace{\sum_{j \neq i} \frac{\partial p_j}{\partial t_\ell} \times \frac{r_j}{r_i}}_{-} + \frac{c}{r_i} < \left| \tau + (\rho/n)\theta + (\rho/n)^2 \sum \psi_j \right|$$

Simulations

Parameters β , τ , θ and ρ are **estimated econometrically**

Average returns estimated from **vineyard prices** $r_i = v_i \times (\delta - \gamma)$

Additional assumptions:

- ▶ Capitalization factor $\delta - \gamma = 0.02$
- ▶ FD contamination means 5 years of production loss
- ▶ Private cost of treatment $c = 25$ euros/ ha
- ▶ Social cost of treatment $\omega \in [0, 300]$ euros/ ha

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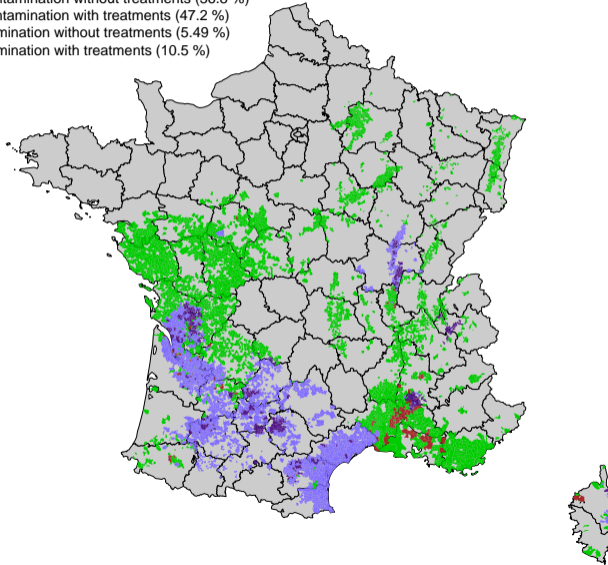
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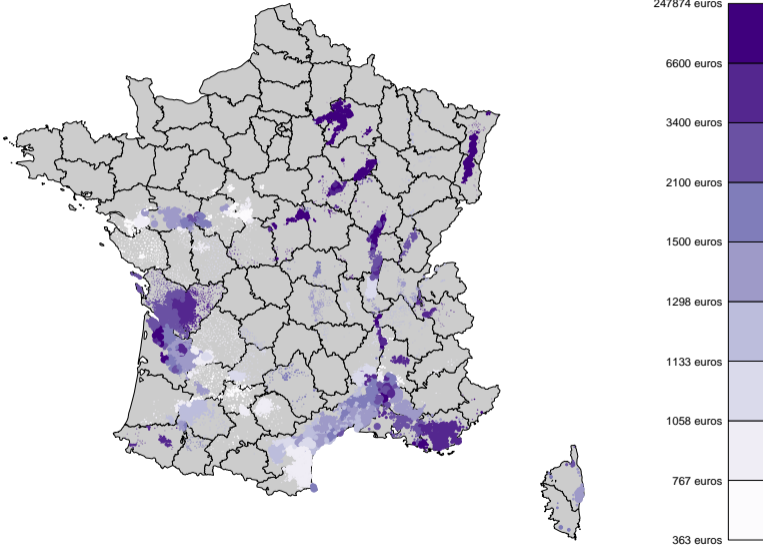
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2013-2016 contamination, compulsory treatments

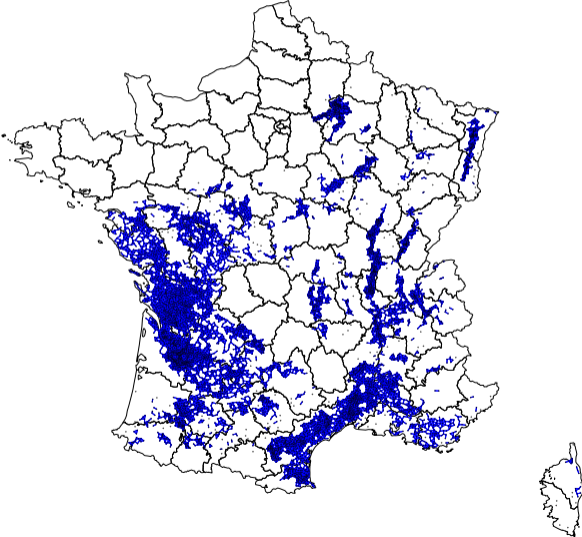
- No contamination without treatments (36.8 %)
- No contamination with treatments (47.2 %)
- Contamination without treatments (5.49 %)
- Contamination with treatments (10.5 %)



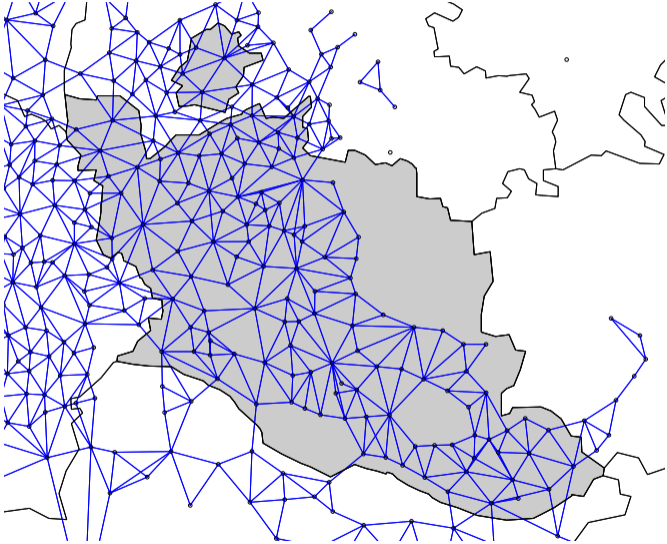
Annual returns per hectare in 2016



Spatial weight matrix



Spatial weight matrix (zoom)



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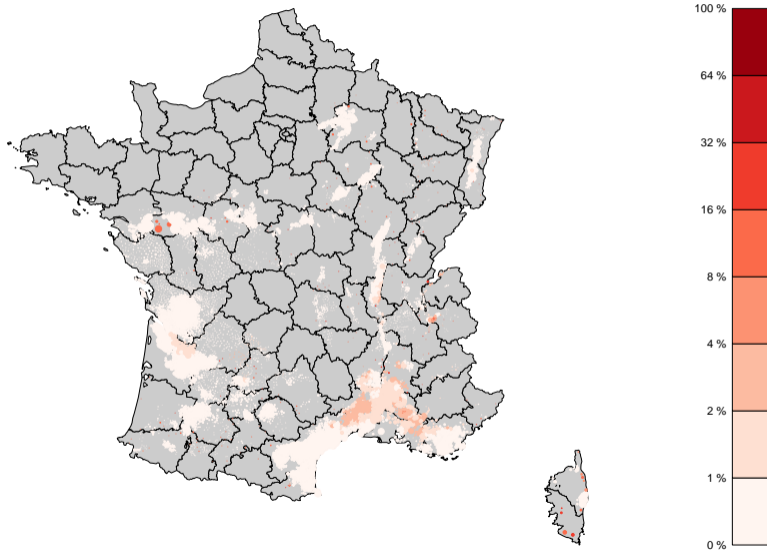
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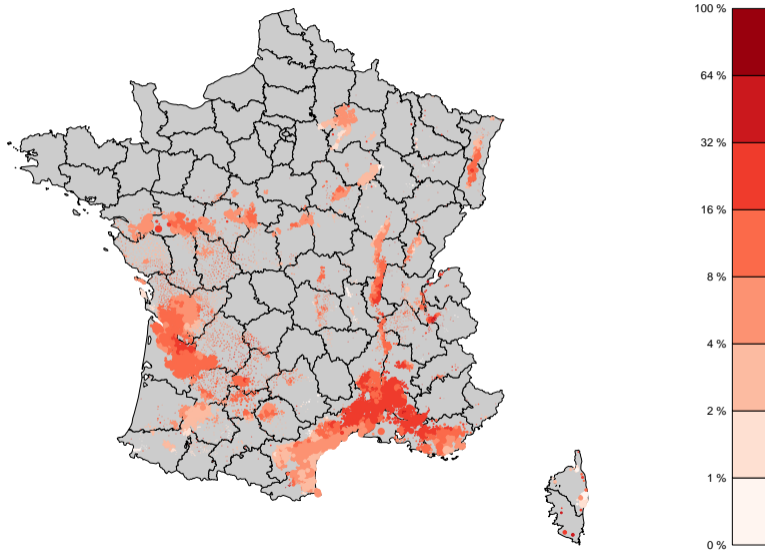
Spatial econometric estimation

Coef	(I)	(II)	(III)	(IV)
τ	-0.31** (0.117)	-0.27** (0.093)	-0.48** (0.103)	-0.52** (0.094)
θ	-0.15** (0.118)	-0.1** (0.094)	-0.04** (0.107)	-0.2** (0.094)
ρ	+0.64** (0.018)	+0.71** (0.017)	+0.62** (0.013)	+0.27** (0.064)
N	6672	6672	6672	6672
$pred$	77.1	75.2	72.9	73.5
W	Contg	Dist	Contg	Contg
$Method$	MCMC	MCMC	AML	GMM

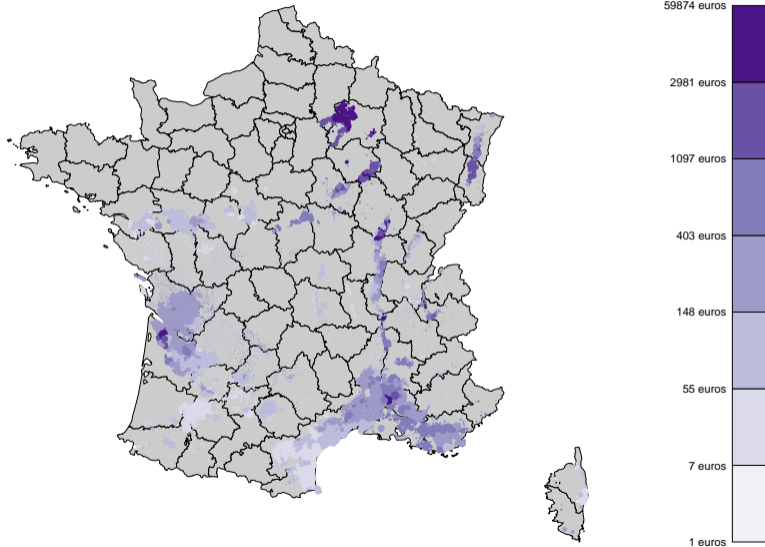
Proba of contamination with compulsory treatment



Proba of contamination without treatment



Expected value of treatment



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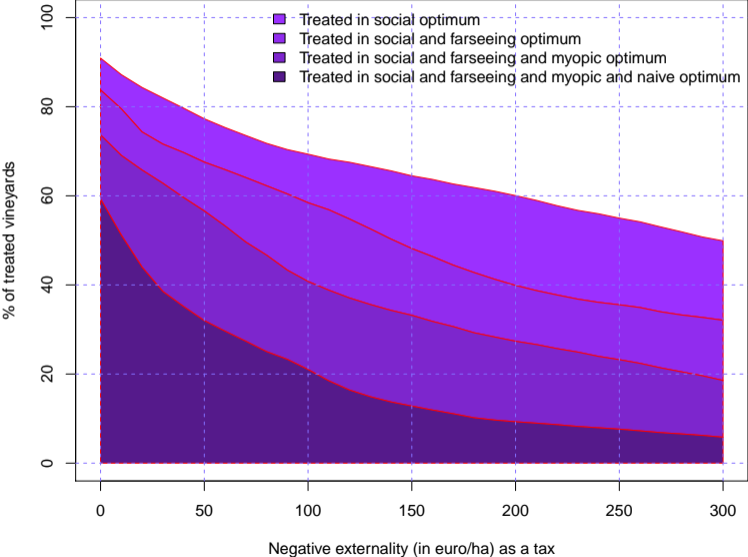
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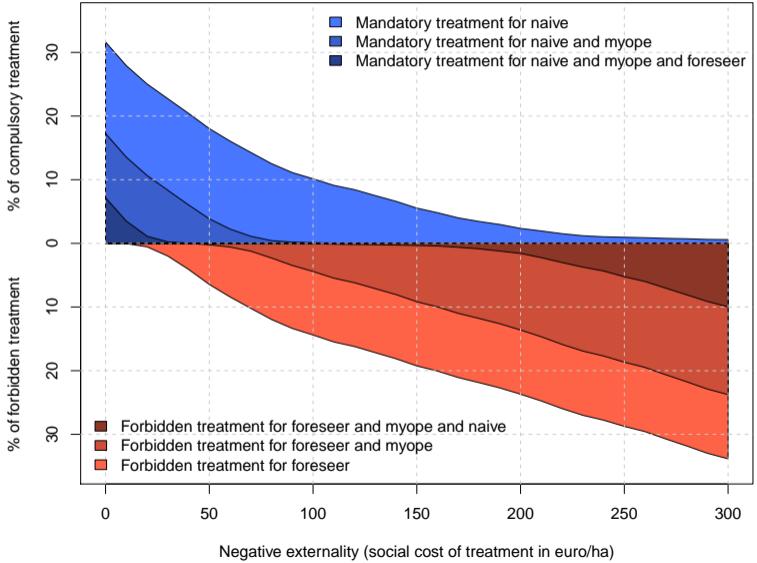
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A tax is not a solution



Spatial mismatch



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Summary

- ▶ Naive and myopia behaviors could be **good for the environment** but can be used to justify mandatory treatment
- ▶ **Mandatory treatment** is justified for naive behavior without social cost of treatments (on around 30% of vineyards)
- ▶ **Forbidden treatment** is justified for farseeing behavior with high social cost of treatment (on around 30% of vineyards)

Perspectives

- ▶ Endogenous **prospecting efforts** with fine-scale data
- ▶ **Strategically consistent behavior**, endogenous land use
- ▶ Increase the robustness checks and **policy scenarios**

Thank you